

P-07

Representation spaces for central extensions and almost commuting unitary matrices

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The space $\text{Hom}(\Gamma, G)$ of homomorphisms from a discrete group Γ to a Lie group G is studied in algebra, topology and physics. In the case of $\Gamma = \mathbb{Z}^n$, it is the space of ordered commuting n -tuples in G and has been analyzed using a variety of methods from algebraic topology and representation theory. We would like to consider the case where Γ is a central extension of the form $1 \rightarrow \mathbb{Z}^r \rightarrow \Gamma \rightarrow \mathbb{Z}^n \rightarrow 1$ and $G = U(m)$ is a unitary group. We enumerate and describe the structure of the connected components of $\text{Hom}(\Gamma, U(m))$ and the associated moduli spaces $\text{Rep}(\Gamma, U(m))$. This is joint work with Alejandro Adem.